Price Setting and Price Stickiness A Behavioral Foundation of Inaction Bands

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Why interested in price setting?

Important for monetary policy

- Price "stickiness": cornerstone of workhorse models
- ▶ Understanding price stickiness ~→ size and limits of monetary policy.

What factors account for price stickiness?

Numerous models have been proposed

Yet question still open

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Workhorse models of price stickiness

- Calvo model
 - Exogenous arrival process of price setting

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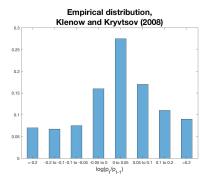
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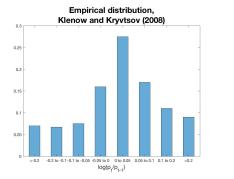
Workhorse models of price stickiness

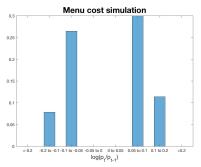
- Calvo model
 - Exogenous arrival process of price setting
- "Menu" cost models
 - No consensus of what "menu" cost stands for
 - Miss two salient facts of pricing microdata

Coexistence of small and large price changes

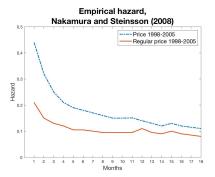


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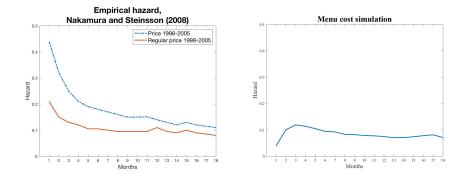




Shape of hazard function



Shape of hazard function



Question

Where should we be looking for sources of price stickiness?

This Paper

Refine way we model price setting decisions.

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Propose model of mental accounting (Thaler, 1985)

- Grounded in realities of business decision-making
- Captures cognitive-psychological biases of decision-makers

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Punchline

- Presence of inaction band (Illustrated analytically in simple static case)
- Parsimonious match of facts (Calibrated dynamic extension)

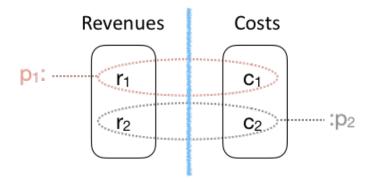
Mental accounting: The manager's objective function

Narrow bracketing 1/2

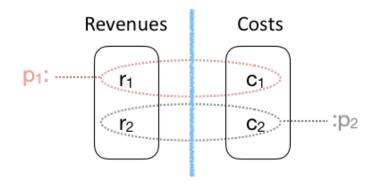
"[P]eople set up mental accounts for outcomes that are psychologically separate, as much as financial accountants lump expenses and revenues into separated accounts to guide managerial attention."

- Camerer, Lowenstein, Rabin (2004)

Narrow bracketing 2/2



Narrow bracketing 2/2



Narrow bracketing in the literature:

 Baucells et al. (2024), Emami-Namini and Kapoor (2023), Gathergood and Olafsson (2023), Bordalo et al. (2019), Aghion and Stein (2008), Barberis et al. (2001), Camerer et al. (1999)

Prospect theory

Reference dependence:

Loss aversion:

Prospect theory

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"[...] our perceptual apparatus is attuned to the evaluation of changes or differences rather than to the evaluation of absolute magnitudes."

- Kahneman and Tversky (1979)

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Prospect theory

Reference dependence:

"[...] our perceptual apparatus is attuned to the evaluation of changes or differences rather than to the evaluation of absolute magnitudes."

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Loss aversion:

"[T]he aggravation that one experiences in losing a sum of money appears to be greater than the pleasure associated with gaining the same amount."

- Kahneman and Tversky (1979)

Reference point: revenues and costs of inaction



Loss aversion: overweigh losses to gains



Price stickiness analytically

Manager chooses price to maximize

$$v(r(p) - r(\tilde{p})) + v(c(\tilde{p}) - c(p))$$

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Under canonical assumptions

- Isoelastic demand
- linear production function; labor only input
- \rightsquigarrow *r*, *c* decreasing in price

The manager's objective function

$$\Pi(p) = \begin{cases} r - \tilde{r} - \lambda(c - \tilde{c}) & \text{if } p \leq \tilde{p} \\ (\tilde{c} - c) - \lambda(\tilde{r} - r) & \text{if } p > \tilde{p} \end{cases}$$

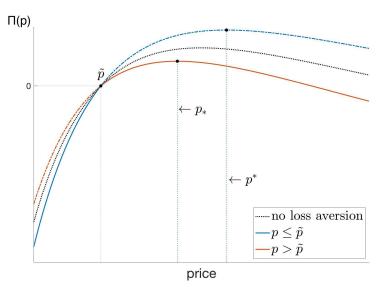
The manager's objective function

Or

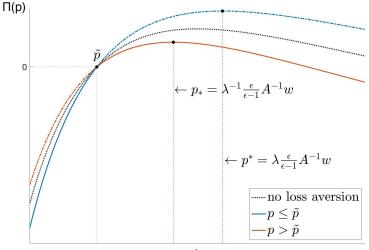
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$$\Pi(\cdot) = \text{Gains} - \lambda \text{Losses}$$

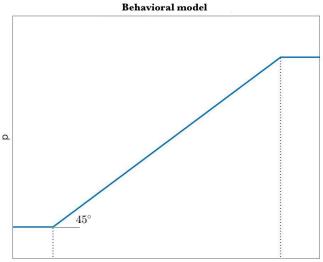
The manager's objective function, graphically



The manager's objective function, graphically



The main result: Pricing rule

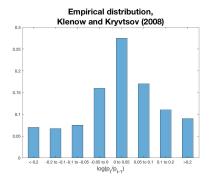


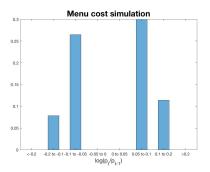
Price stickiness: Intuition

$$\Pi(p) = \begin{cases} r - \tilde{r} - \lambda(c - \tilde{c}) & \text{if } p \leq \tilde{p} \\ (\tilde{c} - c) - \lambda(\tilde{r} - r) & \text{if } p > \tilde{p} \end{cases}$$

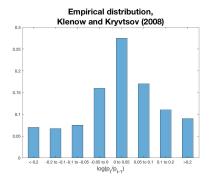
Simulation results (Dynamic extension & calibration)

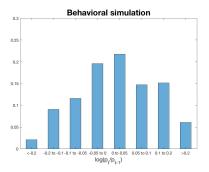
Coexistence of small and large price changes



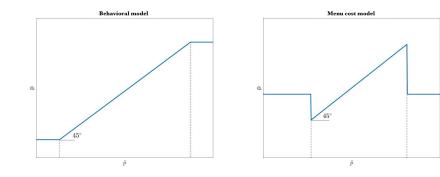


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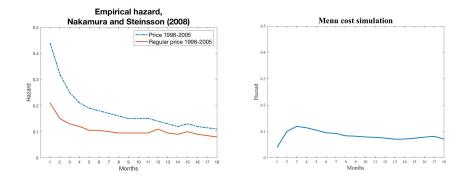




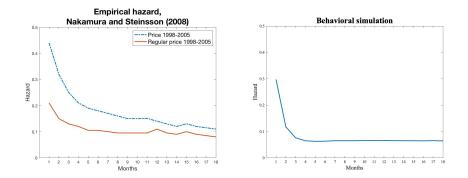
Why?



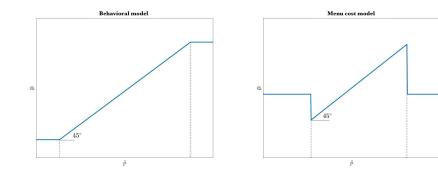
Hazard function



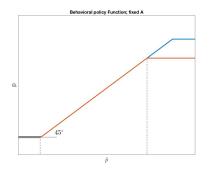
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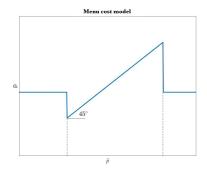


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Concluding remarks

Taking stock

What we have gained

- Parsimonious theory matching facts of microdata
- Assumptions
 - grounded in realities of business decision making
 - reflecting evidence of peoples' systematic biases
- Applicability and relevance of behavioral paradigm in new context

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What's next

- Further evidence of biases in firm decision making?
 - Experiments
 - Surveys
- How could such biases be counter-acted?
- Macro implications of new pricing rule?