

Discretion and Favoritism in Public Procurement

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- Public procurement accounts for 12% of GDP in OECD (OECD 2018)
- There are two common ways of procuring goods and services
 - ① Direct purchases
 - ② Open auctions
- Lack of consensus about open auction vs discretion
 - Pros: more competition, more transparency
 - Cons: higher administrative costs, slower process, contracting difficulties

Does discretion

- ① give rise to political favoritism?
- ② transfer money from taxpayers to firms?
- ③ misallocate resources?

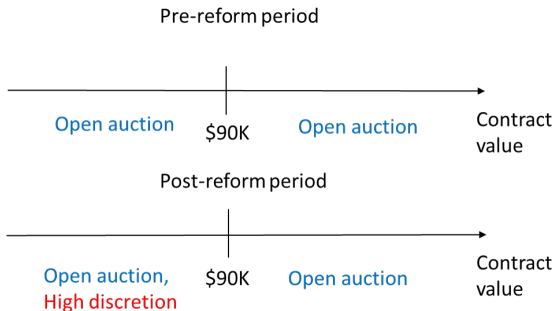
I analyze a large dataset on public procurement in Hungary to measure the causal effects of buyers discretion

- Combine a unique policy reform with a semi-parametric selection correction model
- Use the model to think about optimal procurement policy

- **Consequences of discretion:** Lalive and Schmutzler (2011); Coviello, Guglielmo, and Spagnolo (2017); Carril, Gonzalez-Lira and Walker (2020); Baltrunaite, Giorgiantonio, Mocetti, and Orlando (2021); Coviello, Guglielmo, Lotti and Spagnolo (2022)
- **Discretion and rent seeking:** Palguta and Pertold (2014); Gerardino, Litschig and Pomeranz (2017); Decarolis, Fisman, Pinotti and Vannutelli (2020)
- **Political favoritism in public procurement:** Bandiera, Prat and Valletti (2009); Goldman, Rocholl, and So (2013); Zhuravskaya (2014); Brogaard, Denes, and Duchin (2016); Schoenherr (2016)
- Contribution of this paper:
 - Data on firm level outcomes (e.g. productivity and political connections)
 - Identification of the effects of discretion (using the policy change and the selection correction)

- ① Context and data
- ② Reduced-form evidence
- ③ Selection correction model
- ④ Policy simulations
- ⑤ Conclusion

Procurement policy reform



- External validity
 - Hungary has similar Corruption Perceptions Index as other Eastern and Southern European Countries (Transparency International 2016)
 - Similar policies exist in many developed countries: EU, US, Israel

- ① Procurement, 2009-15
 - Cleaned public records of non-construction industries
- ② Firm performance
 - Balance sheet data of bidding firms
- ③ Political connections
 - Created for the top 500 contractors
 - Identifies government politicians among firm representatives (board members and top management)

- Price of procurement (using procurement data):

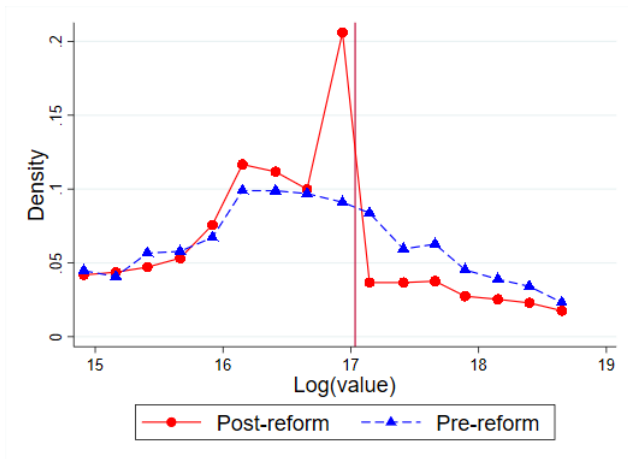
$$\text{Normalized price} = \log \frac{\text{winning bid}}{\text{anticipated value}}$$

- Number of bidders
- Productivity (using balanced sheet data):
 - TFP following Wooldridge (2009), Hsieh and Klenow (2009)
- Connected firm wins the contract
 - Conditional on having at least one "checked" firm bidding

Outline

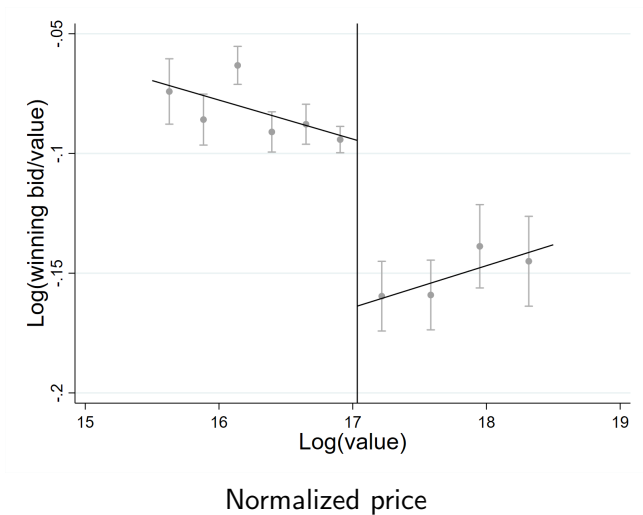
- ① Context and data
- ② **Reduced-form evidence**
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Manipulation of contract values



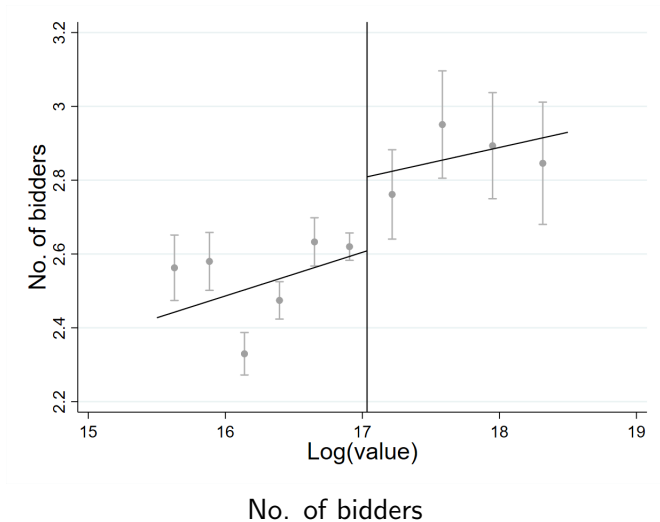
► Collapsed distribution

Discontinuity in procurement outcomes

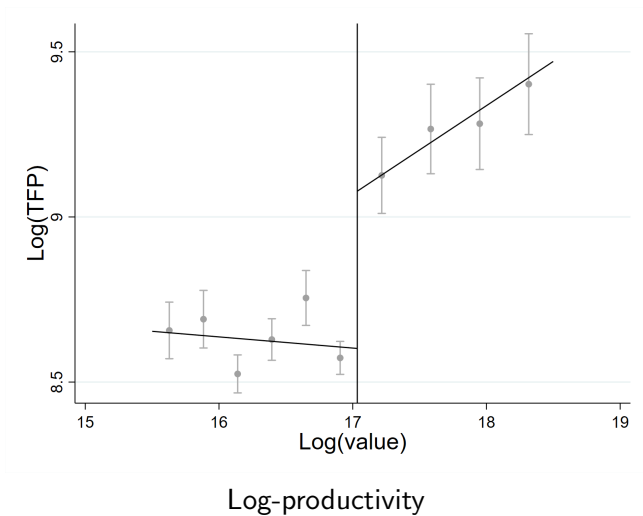


► Placebo

Discontinuity in procurement outcomes

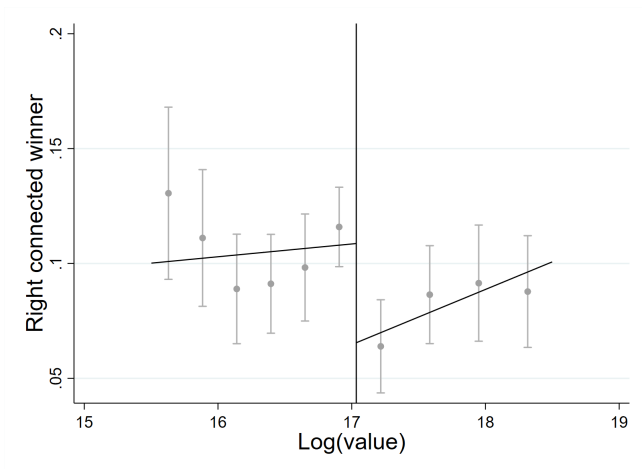


Discontinuity in procurement outcomes



► Placebo

Discontinuity in procurement outcomes



Connected winner

▶ Other connections

▶ Placebo

- Ideal experiment would randomly assign procurement procedures to tenders
- We cannot use RDD to recover the causal effects of discretion
 - Manipulation in the running variable indicates selection around the cutoff
 - Different composition of agencies and tenders on the two sides of the threshold

Outline

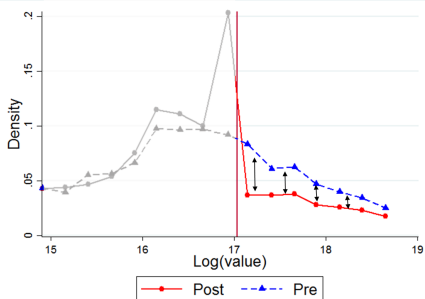
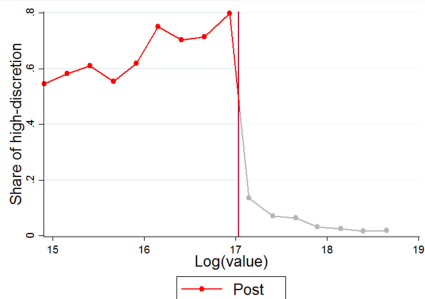
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$$Y_i = \delta D_i + f(V_i) + \tau Post_i + u_i \quad (1)$$

$$D_i = 1[d_i \geq h(\nu_i)]Post_i \quad (2)$$

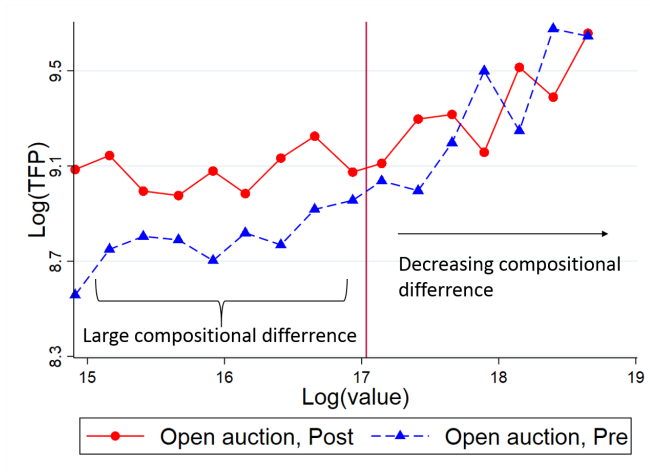
- Y_i is normalized price, log-productivity, or connected winner
- D_i is an indicator for high discretion
- V_i is the anticipated contract value
- $Post_i$ is an indicator for post-reform period
- ν_i is the exogenous project size
- $Cov(d_i, u_i) \neq 0$

First stage

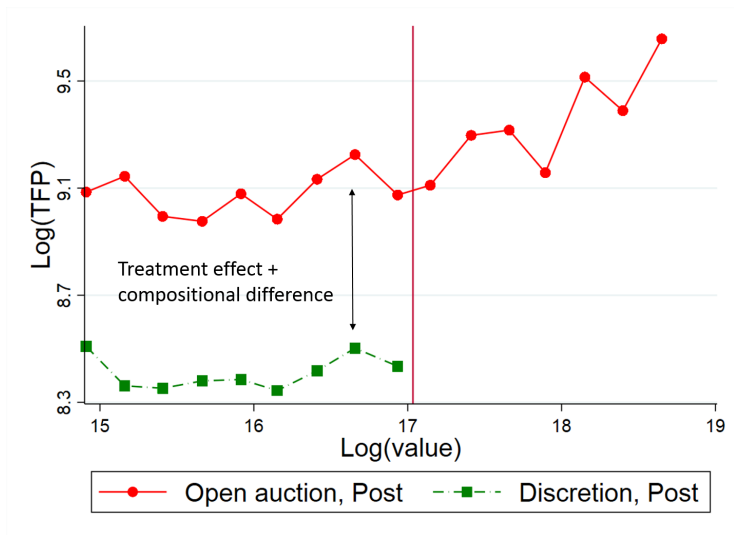


$$D_i = 1[d_i \geq h(v_i)]Post_i$$

Second stage



Second stage



Selection correction results

| | Log(norm price) | No. of bidders | Log(TFP) | Connection of the winner firm | | |
|--|-------------------|-------------------|-------------------|-------------------------------|-------------------|-------------------|
| | (1) | (2) | (3) | Right | Left | Unconnected |
| | (1) | (2) | (3) | (4) | (5) | (6) |
| Panel A: Naive OLS | | | | | | |
| Discretion | 0.055 (0.009) | -0.739 (0.097) | -0.636 (0.067) | 0.091 (0.014) | 0.014 (0.006) | -0.026 (0.021) |
| Panel B: Selection correction | | | | | | |
| Discretion | 0.064 (0.019) | -0.954 (0.190) | -0.282 (0.135) | 0.108 (0.039) | 0.027 (0.016) | 0.031 (0.051) |
| Control fn | -0.006 (0.011) | -0.138 (0.126) | -0.229 (0.086) | -0.012 (0.024) | -0.008 (0.011) | -0.039 (0.036) |
| Mean of dep. var. for open auctions | -0.130 | 2.95 | 9.06 | 0.078 | 0.025 | 0.476 |
| Observations | 44,915 | 47,971 | 34,930 | 12,249 | 12,249 | 12,249 |

▶ Treatment effect heterogeneity

▶ Other outcomes

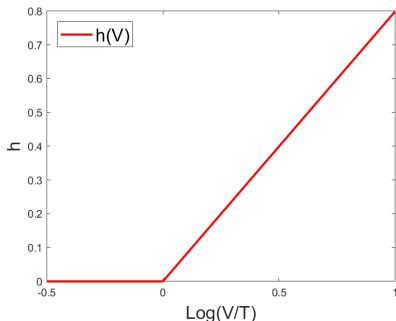
Outline

- ① Context and data
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- ③ Selection correction model
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Parametric selection model

$$Y_i = \delta D_i + \gamma' X_i + f(V_i) + \tau Post_i + u_i$$

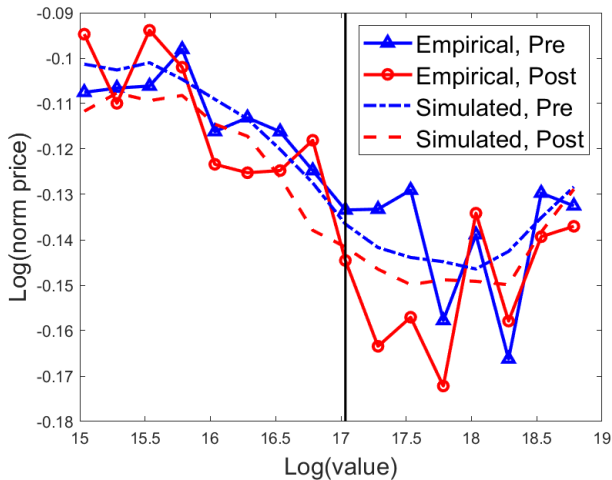
$$D_i = 1 \left[d_i \geq \underbrace{\log \frac{\nu_i}{T} 1(\nu_i > T) + \eta' X_i}_{h(\nu_i)} \right] Post_i$$



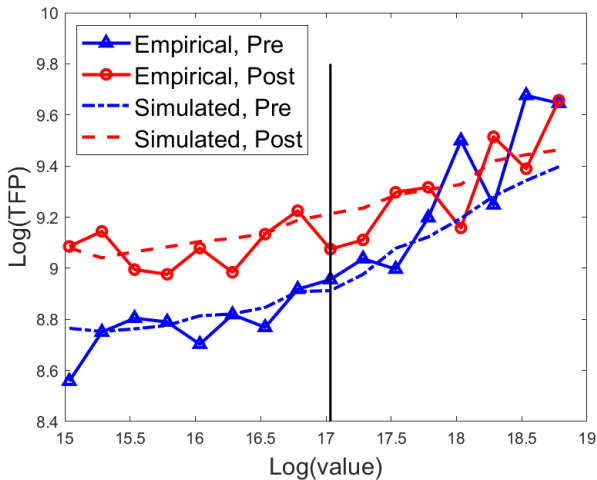
Parametric results

| | Price | | Productivity | |
|------------------------------------|-------------------|------------------------|-------------------|-------------------|
| | Discretion (1) | Log(norm price) (2) | Discretion (3) | Log(TFP) (4) |
| Discretion | | 0.056 (0.018) | | -0.289 (0.221) |
| Share of connected top 500 firms | 0.873 (0.154) | 0.034 (0.018) | 0.577 (0.179) | 8.90 (0.119) |
| Share of unconnected top 500 firms | -0.349 (0.062) | -0.045 (0.008) | -0.428 (0.077) | 1.39 (0.054) |
| Share of domestic firms | 0.300 (0.060) | -0.058 (0.008) | 0.224 (0.069) | -2.33 (0.052) |
| Central government agency | -0.640 (0.031) | -0.014 (0.004) | -0.566 (0.033) | 0.098 (0.031) |
| Services | 0.707 (0.031) | -0.042 (0.004) | 0.573 (0.032) | -0.669 (0.031) |
| Correlation of d and μ | | 0.026 (0.046) | | -0.111 (0.098) |
| Observations | | 44,915 | | 34,930 |

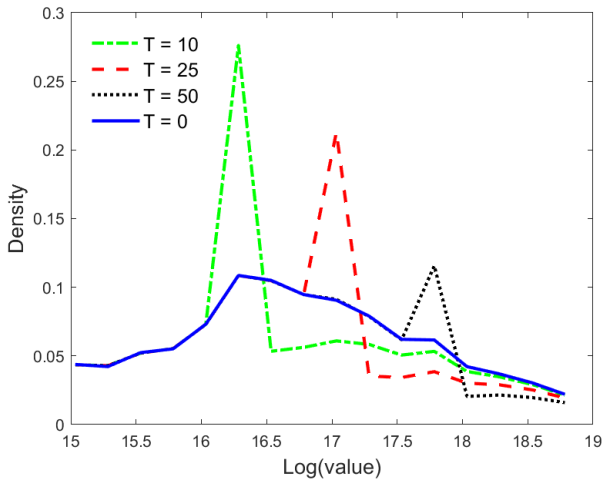
Predicted normalized price



Predicted log-productivity



Out-of-sample value distributions



Productivity effects of different thresholds

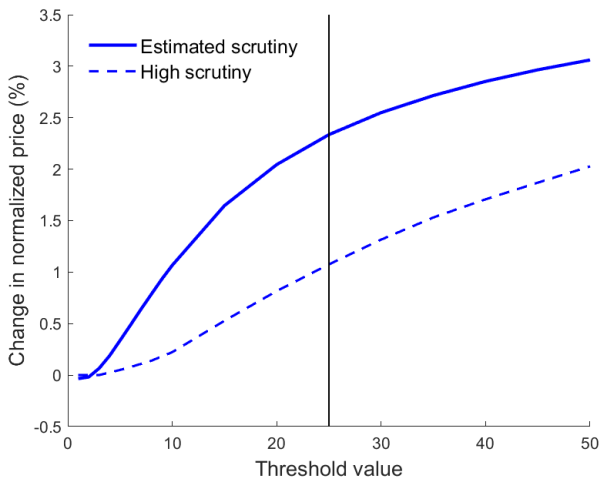
I simulate the the effects of different procurement thresholds on prices and productivity

$$\Delta \bar{Y}(T, s) = \frac{\sum_i Y_i(T, s) V_i(T, s) / \sum_i V_i(T, s)}{\sum_i Y_i(0, s) V_i(0, s) / \sum_i V_i(0, s)} - 1,$$

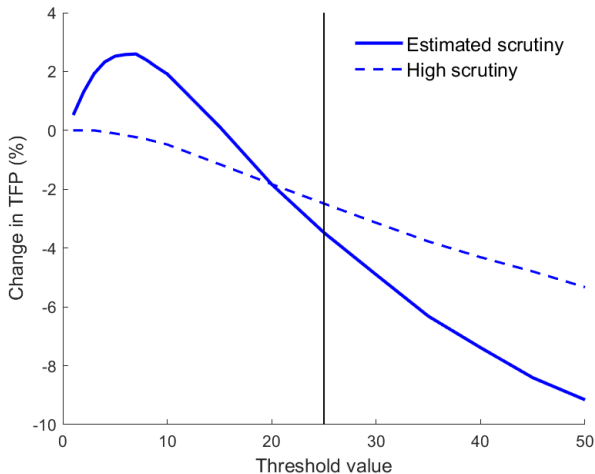
A larger threshold

- Always decrease normalized prices
- Affects productivity through two channels:
 - ① Procedure channel: increases average productivity
 - ② Contract value channel: decreases average productivity

Threshold's impact on prices under different levels of scrutiny

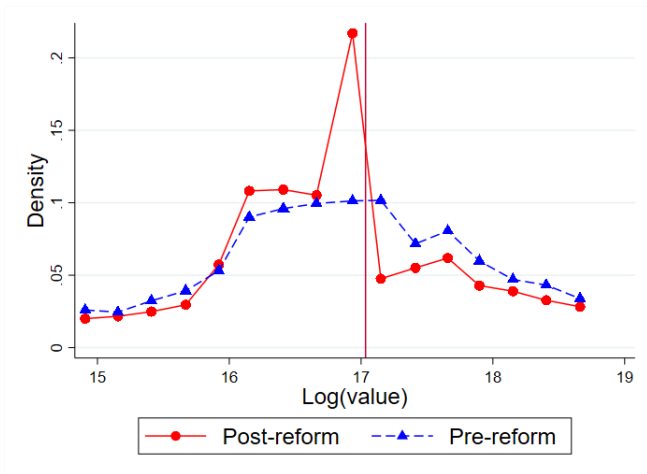


Threshold's impact on productivity under different levels of scrutiny

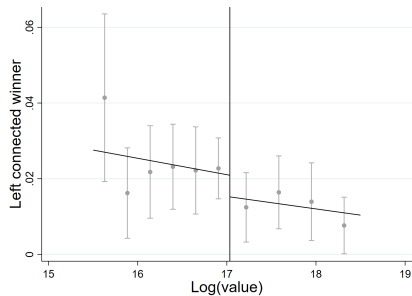


- Providing more discretion to public agencies results in
 - 6% higher prices
 - 28% less productive contractors
 - More politically connected winners
- There is a substantial sorting into high-discretion
 - Tenders with less productive winners
- Optimal threshold would be smaller than the actual and would yield 6% higher average productivity

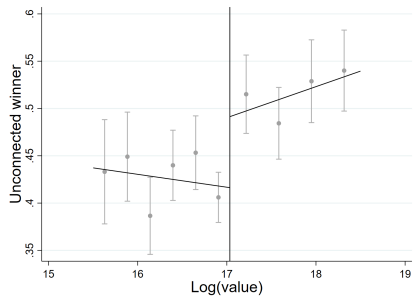
Distribution of contract values



Discontinuity in other connections



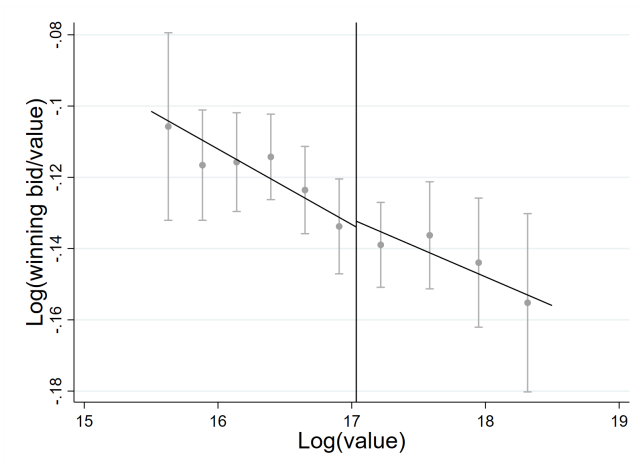
Left connected



Unconnected

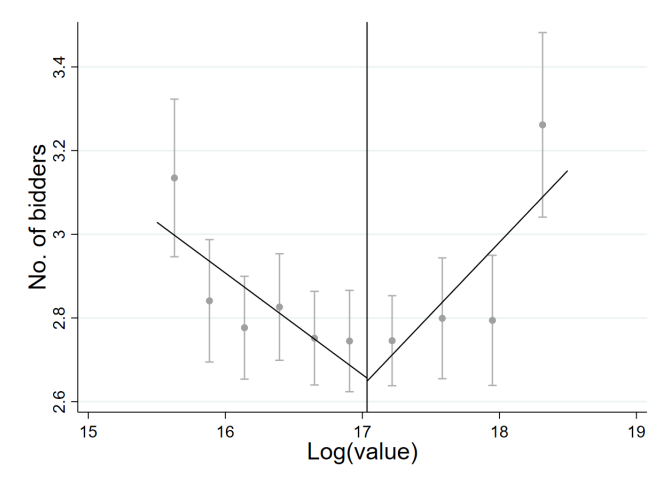
▶ Right connected

Placebo test



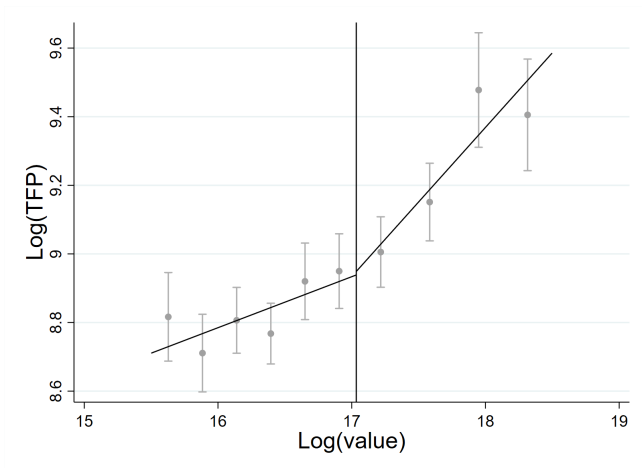
Normalized price

Placebo test



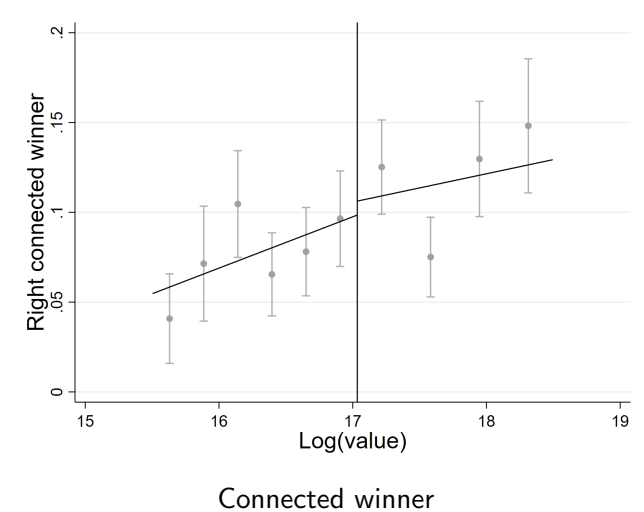
No. of bidders

Placebo test



Log-productivity

Placebo outcomes



Treatment effect heterogeneity

| | Log(norm price) | No. of bidders | Log(TFP) | Connection of the winner firm | | |
|-------------------------------|------------------|-------------------|-------------------|-------------------------------|-------------------|--------------------|
| | (1) | (2) | (3) | Right (4) | Left (5) | Unconnected (6) |
| Panel A - Product categories | | | | | | |
| Goods | 0.059 (0.019) | -1.02 (0.172) | -0.493 (0.133) | 0.172 (0.050) | 0.0426 (0.025) | -0.219 (0.074) |
| Services | 0.083 (0.036) | -1.07 (0.412) | -0.148 (0.277) | 0.097 (0.049) | 0.012 (0.018) | 0.191 (0.073) |
| Panel B - Level of government | | | | | | |
| Central | 0.029 (0.035) | -0.919 (0.343) | -0.310 (0.220) | 0.128 (0.065) | 0.028 (0.021) | 0.041 (0.070) |
| Local | 0.085 (0.028) | -1.20 (0.209) | -0.310 (0.256) | 0.152 (0.048) | 0.020 (0.023) | 0.008 (0.076) |

Other outcomes

| | Domestic (1) | Log(emp) (2) | Distance (3) | Experienced (4) | Incumbent (5) | Firm age (6) | Exit (7) |
|--|-------------------|-------------------|-----------------|--------------------|-------------------|-------------------|-------------------|
| Panel A: Naive OLS | | | | | | | |
| Discretion | 0.095 (0.013) | -0.836 (0.048) | -9.16 (4.02) | -0.128 (0.010) | -0.225 (0.019) | -3.14 (0.210) | 0.015 (0.008) |
| Panel B: Selection correction | | | | | | | |
| Discretion | -0.015 (0.028) | -0.125 (0.129) | -6.48 (5.82) | -0.091 (0.029) | -0.203 (0.039) | -0.867 (0.654) | 0.040 (0.018) |
| Control fn | 0.071 (0.018) | -0.456 (0.085) | -10.0 (4.21) | -0.024 (0.020) | -0.014 (0.021) | -1.45 (0.379) | -0.016 (0.012) |
| Mean of dep. var. for open auctions | 0.805 | 3.25 | 68.4 | 0.703 | 0.332 | 15.1 | 0.057 |
| Observations | 40,352 | 40,143 | 37,730 | 48,380 | 48,380 | 41,616 | 41,342 |

▶ Main results

Microfoundations of parametric model

$$U(V_i, D_i, X_i, d_i) = \log(V_i) + (\eta' X_i + d_i) D_i$$
$$\text{st. } : V_i \leq \begin{cases} \nu_i & \text{if } D_i = 0, \\ \min\{\nu_i, T\} & \text{if } D_i = 1, \end{cases}$$

where ν_i is the budget of the procuring agency

Solution:

$$D_i = 1 \left[d_i \geq \log \frac{\nu_i}{T} 1(\nu_i > T) + \eta' X_i \right]$$